

Definitiong mole (n)a mole is 6.02×10^{23} it is a number1 kmole = 10^3 moles = 6.02×10^{26}

Molecular Mass (sometimes referred to as molecular wt.)

no units are given.

ie. $M(C) = 12$

found in table A.8 pg 752

but units are understood to be $\frac{g}{mole} \cdot \frac{10^3}{10^3} = \frac{kg}{kmole}$

$$n \text{ (moles)} \cdot M \left(\frac{g}{mole} \right) = (g) m$$

$$n \text{ (kmol)} \cdot M \left(\frac{kg}{kmol} \right) = (kg) m$$

in this class we will use kg + kmoles

 H_2O has molecular mass = 18 \therefore 25 kmoles has mass

$$n \cdot M = m$$

$$25 \text{ kmol} \cdot \frac{18 \text{ kg}}{\text{kmol}} = 450 \text{ kg}$$

IN ENGLISH UNITS

lb mole - is the unit for n (best defined by M) M has same numerical value as w/ SIBUT units are $\frac{lbm}{lb-mol}$

$$n \cdot M = m$$

 \therefore lb-mole is actually

$$2.2 \text{ lb-mole} = 1 \text{ kmole}$$

Last time.

we defined phase - a quantity of matter that is homogeneous throughout.
 property (any characteristic that can be observed or measured)
 intensive, extensive
 state (condition of system as described by its properties)

A pure substance

a substance that is chemically homogeneous with a fixed chemical composition

gases - compressible
 fluid (flow under stress)
 molecules rarely exert forces on each other

Solids - incompressible
 rigid
 strong intermolecular forces
 dense

Liquids - relatively incompressible
 fluid
 dense
 properties determined by intermolecular forces

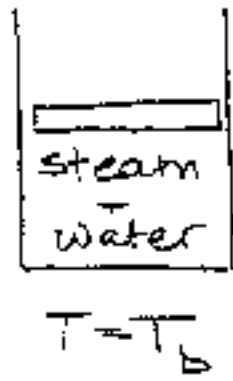
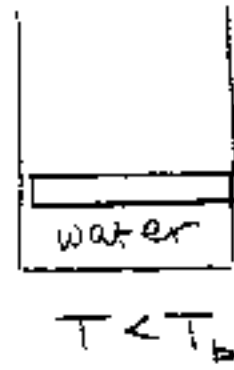
boiling point - at given pressure
 temp above which liquid is no longer present
 (all vapor)

freezing point - at given pressure
 temp below which no liquid is present
 (all solid)

Both BP & FP are pressure dependent

* we'll also give these states new names.

Consider a piston/cylinder filled w/ water



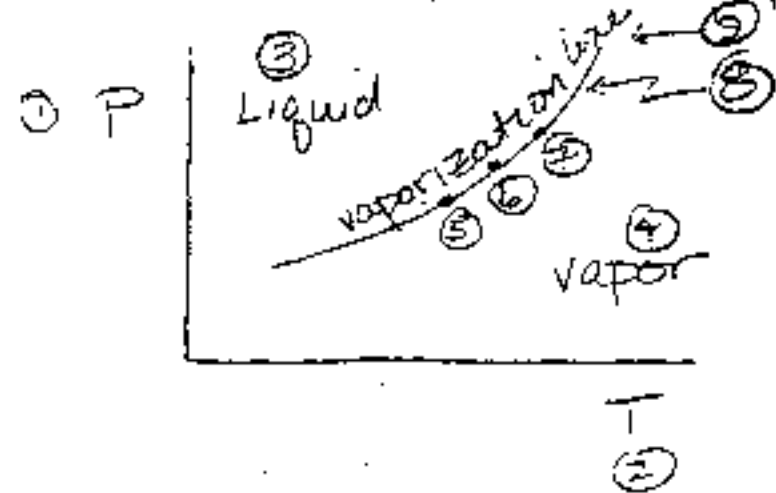
New Definition for BP

SATURATION TEMPERATURE

temperature at which vaporization occurs at a given pressure. (This pressure is called saturation Pressure)

saturated liquid — liquid @ T_{sat} & P_{sat}

saturated vapor — vapor @ T_{sat} & P_{sat}



liquid @ $T < T_{sat}$ for given pressure is called
subcooled liquid or

* compressed liquid $P > P_{sat}$ for given T

vapor @ $T > T_{sat}$ for a given pressure is called
superheated vapor

Along vap line T & P are dependent properties

(if one varies, the other cannot vary arbitrarily & still be on line)

[At saturation temp P & T are dependent, yet states can vary]

New Property for sat liq + sat vap in equil.

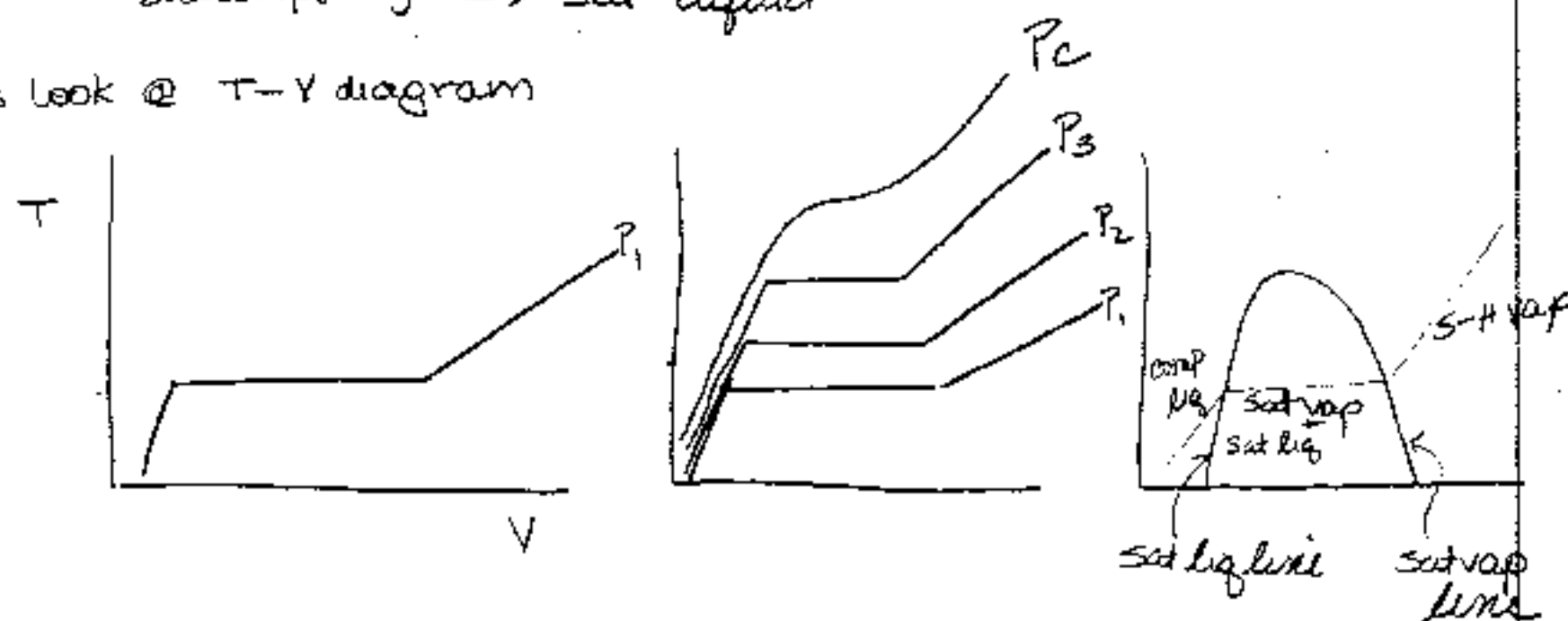
QUALITY x is defined @ saturation point

$$x = \frac{\text{Mass sat vap}}{\text{total mass}} = \frac{\text{Mass sat vap}}{\text{Mass sat vap} + \text{Mass sat liq}} = \frac{m_g}{m_g + m_f}$$

subscript $g \rightarrow$ sat vap

subscript $f \rightarrow$ sat liquid

lets look @ T-V diagram



Point where sat liq & sat vapor states are identical

is called CRITICAL POINT

2 distinct phases are not present - 1 phase fluid

above critical point we have fluid

for a given substance, we have a characteristic critical point

w/ critical temperature

critical pressure

critical volume (critical specific volume)

on graph:

region T, P vary [v depends on T & P]

line if T , then P however v can vary (depends on x)

at point T, P, v are fixed

Equation of state for vapor phase

remember from chemistry,

$$PV = nRT \quad \text{where } R = 0.8205 \frac{\text{Latm}}{\text{mol K}}$$

↑ temp in K

$$\approx 8.3145 \frac{\text{J}}{\text{mol K}}$$

$$\approx 1.987 \frac{\text{cal}}{\text{mol K}}$$

well in this class it is a little different

$PV = n\bar{R}T$ where \bar{R} is our old friend from chem.

(temp in K or R)

\bar{R} (molar gas constant)

$$= 8.3145 \frac{\text{kJ}}{\text{kmol K}}$$

$$= 1545 \frac{\text{ft-lbf}}{\text{lbmol-R}}$$

Same old R, new symbol

$$\frac{PV}{n} = \frac{n\bar{R}T}{n} \Rightarrow P\bar{v} = \bar{R}T \quad \text{where } \bar{v} \text{ is molar spec vol}$$

$$\bar{v} = \frac{V}{n}$$

By def $v = \frac{V}{m}$ and $\bar{v} = \frac{V}{n}$ and $nM = m$
 $M = \frac{m}{n}$

$$P\bar{v} = \bar{R}T \quad \text{if } \div \text{ by } M$$

$$P \frac{\bar{v}}{M} = \frac{\bar{R}}{M} T \quad \frac{\bar{v}}{M} = \frac{\bar{v}n}{m} = \frac{V}{m} = v$$

$$Pv = \frac{\bar{R}}{M} T \quad \text{define } R = \frac{\bar{R}}{M} \quad \text{has units of } \frac{\text{kJ}}{\text{kg K}} \text{ or } \frac{\text{ft-lbf}}{\text{lbm R}}$$

$$Pv = RT$$

R is specific for each substance

but instead of dealing w

kmoles & lbmoles, one can

use the familiar quantity MASS

R values in table A.10

For a closed system

m, n const

$$PV = nRT$$

$$\frac{PV}{T} = nR = \text{const} \quad \frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2}$$

Question arises,

When does a gas behave like an ideal gas?

substance must be gas!

$$P\bar{v} = RT$$

$$\frac{P\bar{v}}{RT} \Rightarrow 1 \text{ if ideal}$$

$$\frac{P\bar{v}}{RT} = Z \text{ compressibility factor}$$

gases real

interactions attractions @ low P

repulsions @ high P

all Temp dependent

look @ behavior relative to critical P & T

$$T_r = \frac{T}{T_c}$$

$$T = (T_r) T_c$$

$$P_r = \frac{P}{P_c}$$

$$P = (P_r) P_c$$

IG beh. for $0 < P < P_c$ ($< 0.1 P_c$), all T

if $T \geq 2T_c$ or $P < 0.5 P_c$

Fig w/ Z P_r, T_r

What about when not ideal?

equation of state such as

Benedict-Webb-Rubin

w/ 6 terms & 8 constants

$A_0, B_0, C_0, a, b, c, \alpha, \gamma$

can be used - or calculated when needed

OR info can be put in tables
to be referred to when needed

(Also on computer)

Tables next time