

Mole

1 mole =  $6.0210^{23} \approx$  number of atoms in a gram of hydrogen

really is  
Molar mass (Molecular mass refers to specific isotope)

$$\boxed{(\text{mass}) = (\text{molecular mass}) \times (\# \text{ of moles})}$$

Example:  $\frac{\text{kg}}{\text{mol}} = \frac{5}{\text{mol}}$  (table lists as standard atomic weight)

2 kmoles (= 1 kilo mole  $\times 10^3$  mole) of Carbon atoms (atomic mass 12) ~~weighs~~ has mass

$$12 \times 2 \times 10^3 \text{ gram} = 24 \text{ kg}$$

$\frac{12 \text{ kg}}{\text{mol}} \times 2 \text{ kmol} = 24 \text{ kg}$

Units

SI and British

British system uses wrong unit of mass: ~~lbm~~

Correct unit would be  $1 \frac{\text{lb} \cdot \text{sec}^2}{\text{ft}} = 1 \text{ slug}$

Fixed conversion factor

$$g_c = \frac{32.2 \text{ lbm} \cdot \text{ft}}{\text{lb} \cdot \text{sec}^2} \quad \text{or} \quad \frac{\text{lbm}}{\text{slug}}$$

Whenever a lbm is used in an equation, it must be divided by  $g_c$  to get units to match up

Example:  $1 = \frac{.1 \text{ lbm}}{32.2 \text{ lbm} \cdot \text{ft} / \text{sec}^2}$

SI:  $F = ma$   
 British:  $F = \frac{m}{g_c} a$

$\text{ft/sec}^2 \times 32.17 \dots$  really

Note that  $g_c \approx g$ , but  $g$  depends on <sup>alt</sup> location

1/10/end

I. 2 a.

2.24 Appl: "weights" 80g, has volume  $100 \text{ cm}^3$ . Asked: density. What  
2.17 is intensive, what extensive?

"weights" 80g  $\Rightarrow m = 80 \text{ g}$

Proper unit is kg.  ~~$k=10^3$~~  multiply by 1" to convert g to kg:

$$k = 10^3 \text{ so } 1 = \frac{k}{10^3}$$

$$m = 80 \text{ g} = 80 \text{ g} \cdot 1 = 80 \text{ g} \frac{k}{10^3} = \frac{80}{1000} \text{ kg} = \underline{0.08 \text{ kg}}$$

Volume is  $100 \text{ cm}^3$

Proper unit is  $\text{m}^3$ . Appendix A1 page 654:  $1 \text{ cm} = 0.01 \text{ m}$

$$\text{so } 1 = \frac{0.01 \text{ m}}{1 \text{ cm}}$$

$$V = 100 \text{ cm}^3 \times \left( \frac{0.01 \text{ m}}{1 \text{ cm}} \right)^3 = \underline{10^{-4} \text{ m}^3}$$

$$\text{density } \rho = \frac{m}{V} = \frac{0.08 \text{ kg}}{10^{-4} \text{ m}^3} = \underline{800 \text{ kg/m}^3}$$

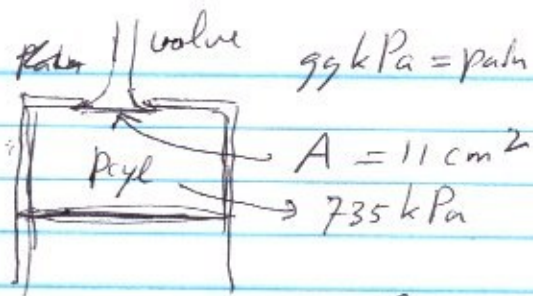
Extensive:  $m, V$ . above

Intensive:  $\rho$  above, temperature  $T = 8^\circ \text{C}$ , specific volume  $= \frac{1}{\rho}$   
pressure is 1 atmosphere  $\approx$  ~~1 bar~~ 1 bar  $= 10^5 \text{ N/m}^2$



I. 5a

$$\frac{2.47}{2.33}$$



Force to open valve?

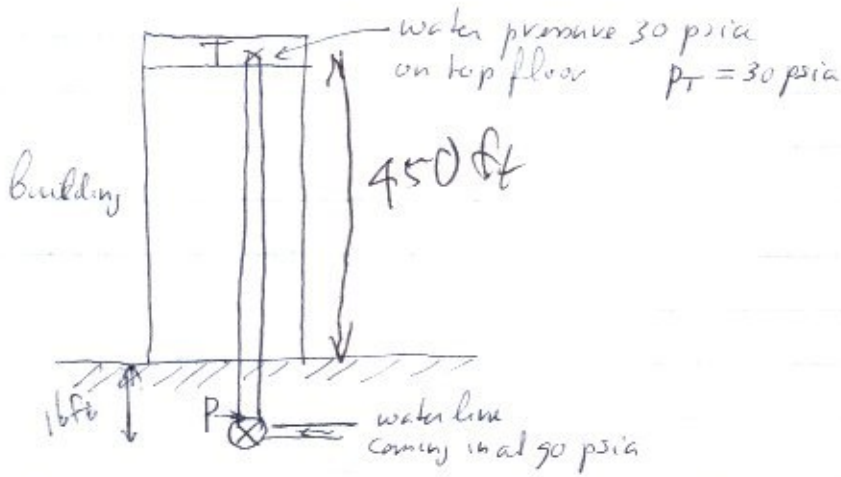
$$\begin{aligned} F &= (p_{oil} - p_a) A \quad \cancel{735} \\ &= (735 - 99) \text{ kPa} \cdot 11 \text{ cm}^2 \left( \frac{0.01 \text{ m}}{\text{cm}} \right)^2 \\ &= 0.6996 \text{ kN} = 700 \text{ N} \\ &\quad \uparrow \\ &\quad \text{since } k = 10^3 = 1000 \end{aligned}$$

multiply by one: Appendix A

$$\begin{aligned} 1 \text{ cm} &= 0.01 \text{ m} \text{ so} \\ 1 &= \frac{0.01 \text{ m}}{1 \text{ cm}} \\ 1 &= \left( \frac{0.01 \text{ m}}{1 \text{ cm}} \right)^2 \end{aligned}$$

Tsl

2.102  
X



Asked: the pressure  $P_p - 90 \text{ psia}$  added by the pump

Answer: Formula  $P_T - P_p = \frac{\rho g}{\gamma} (H_p - H_T)$

Put in all known numbers from Appendix A1 from Appendix F.3

$$30 \frac{\text{lb}_f}{\text{in}^2} \cdot 144 \frac{\text{in}^2}{\text{ft}^2} - P_p = \frac{62.2 \frac{\text{lb}_m}{\text{ft}^3} \cdot 32.2 \frac{\text{ft}}{\text{sec}^2} (-16 - 450) \text{ft}}{32.2 \frac{\text{lb}_m}{\text{ft}^3} \cdot \frac{1 \text{ lb}_f}{32.2 \text{ lb}_m \text{ ft/s}^2}}$$

Note:  $\frac{144 \text{ in}^2}{1 \text{ ft}^2} = 144$ , so I multiply by one

Recognize as one equation in one unknown: can find  $P_p$  from it.

$$30 \cdot 144 \frac{\text{lb}_f}{\text{ft}^2} - P_p = 62.2 (-16 - 450) \frac{\text{lb}_f}{\text{ft}^2}$$

Units OK! change sign!

Take known terms to RHS (right hand side)  
unknown terms to LHS

$$-P_p = [62.2 (-16 - 450) - 30 \cdot 144] \frac{\text{lb}_f}{\text{ft}^2}$$

$$P_p = \frac{62.2 (-16 - 450) - 30 \cdot 144}{-1} \frac{\text{lb}_f}{\text{ft}^2}$$

$$= 33305.2 \frac{\text{lb}_f}{\text{ft}^2} \xrightarrow{\text{multiply by one}} = 33305 \frac{\text{lb}_f}{\text{ft}^2} \cdot \frac{1 \text{ ft}^2}{144 \text{ in}^2} = 231 \frac{\text{lb}_f}{\text{in}^2} = 231 \text{ psi}$$

units OK!

Pump pressure difference:  $P_p - 90 \text{ psia} = 231 \text{ psia} - 90 \text{ psi} = \underline{\underline{141 \text{ psia}}}$

Temperature

- 1) \* Measures the random motion of the molecules,  
Hotter  $\rightarrow$  molecules have more kinetic energy (if ideal gas)
- 2) Heat flows from hot to cold until the temperatures become equal

	Centigrade	Kelvin	Fahrenheit	Rankine
Absolute zero temperature (molecules at rest if ideal gas)	-273	0	-460	0
Water freezes	0	273	32	492
Water boils	100	373	212	672

$$\boxed{F = 32 + \frac{9}{5}C \quad C = (F - 32) \frac{5}{9}}$$



I 6a

2.109 : Given  $T_{atm} = 510 - 3.04 \times 10^{-5} H$   
 where  $H$  is the elevation in feet, and  
 $T_{atm}$  is the atmospheric ~~pressure~~ <sup>temperature</sup> in ?  
 Asked : What is the atmospheric temperature at  
~~the~~ 32000 ft in Fahrenheit?

Answer : at sea level, the temperature is not  
 510 F but 510 R.  
 So the correct formula is

$$T_{atm} = 510 R - 3.04 \cdot 10^{-5} \frac{R}{ft} H$$

at 32,000 ft

$$\begin{aligned} T_{atm} &= 510 - 3.04 \cdot 10^{-5} \frac{R}{ft} 32,000 ft \\ &= 395 R \end{aligned}$$

Appendix A1 :  $TF = TR - 459.7$

$$T_{atm} = \underset{\substack{\uparrow \\ \text{Temp in F}}}{395} - \underset{\substack{\uparrow \\ \text{Temp in R}}}{459.7} = -69.7 F$$