

Soil Settlement

A photograph of a house with a gabled roof and a large crack in the exterior wall, illustrating soil settlement. The house is light-colored with a dark roof. The crack runs diagonally across the side wall, starting from the roofline and extending down to the ground level. The house is set on a gravel driveway.

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Soil Settlement:

Total Soil Settlement = Elastic Settlement + Consolidation Settlement


$$S_{\text{total}} = S_e + S_c$$

Elastic Settlement or Immediate Settlement depends on



- Load Type (Rigid; Flexible)
- Settlement Location (Center or Corner)

Elastic Settlement



- Theory of Elasticity
- Time Depended Elastic Settlement (Schmertman & Hartman Method (1978))

Elastic settlement occurs in sandy, silty, and clayey soils.

Consolidation Settlement (Time Dependent Settlement)

- * Consolidation settlement occurs in cohesive soils due to the expulsion of the water from the voids.
- * Because of the soil permeability the rate of settlement may varied from soil to another.
- * Also the variation in the rate of consolidation settlement depends on the boundary conditions.

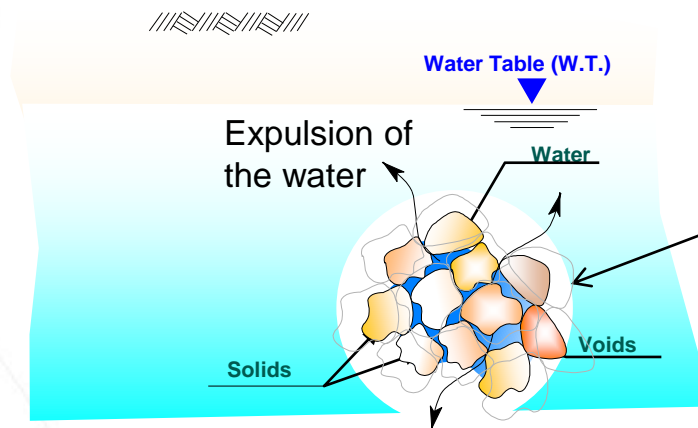
$$S_{\text{Consolidation}} = S_{\text{primary}} + S_{\text{secondary}}$$

Primary Consolidation

Volume change is due to reduction in pore water pressure

Secondary Consolidation

Volume change is due to the rearrangement of the soil particles
(No pore water pressure change, $\Delta u = 0$, occurs after the primary consolidation)



When the water in the voids starts to flow out of the soil matrix due to consolidation of the clay layer. Consequently, the excess pore water pressure (Δu) will reduce, and the void ratio (e) of the soil matrix will reduce too.

Elastic Settlement

$$S_e = \frac{Bq_o}{E_s} (1 - \mu_s^2) \frac{\alpha}{2} \quad (\text{corner of the flexible foundation})$$

$$S_e = \frac{Bq_o}{E_s} (1 - \mu_s^2) \alpha \quad (\text{center of the flexible foundation})$$

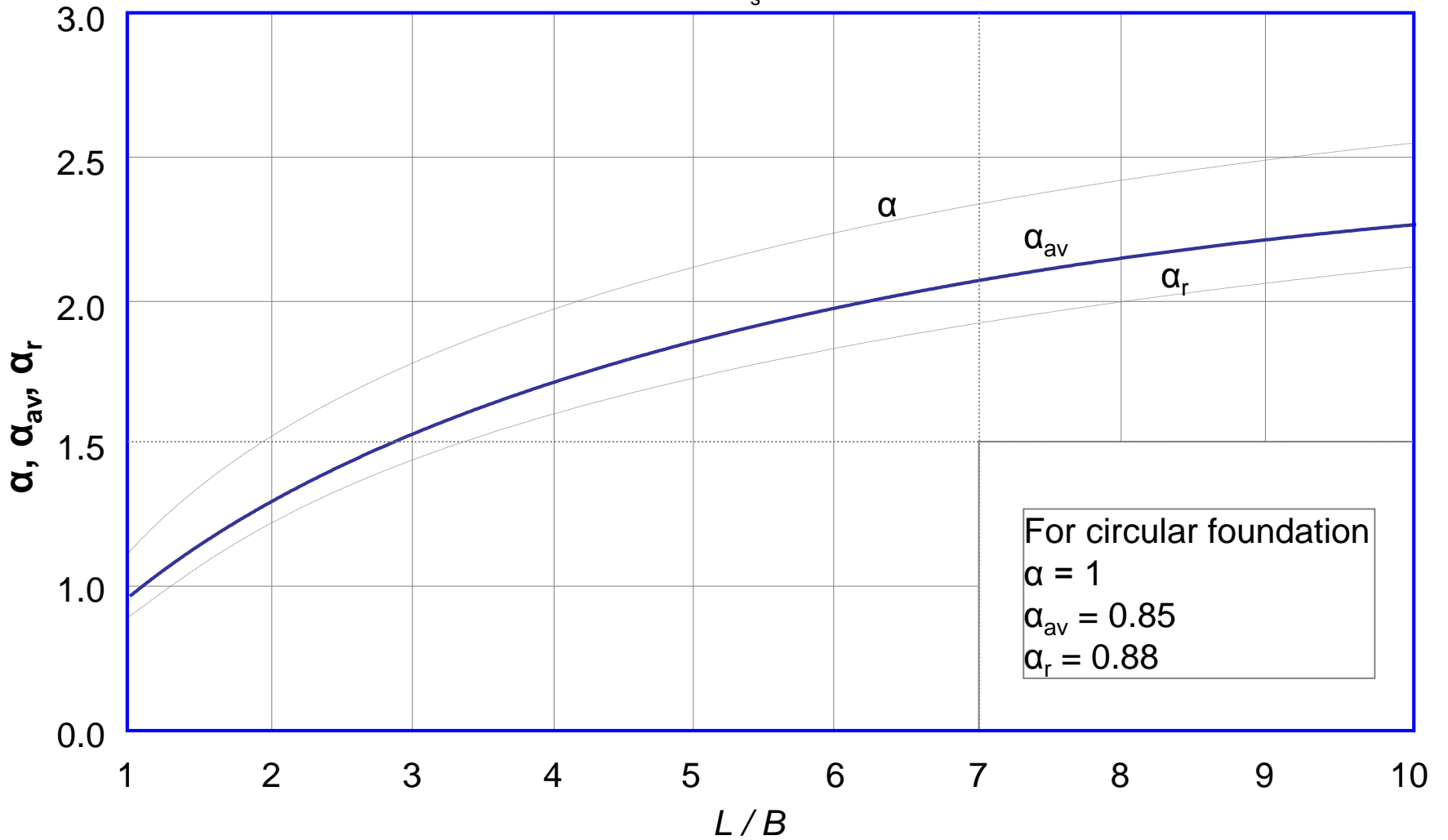
Where $\alpha = \frac{1}{\pi} [\ln (\frac{\sqrt{1+m^2} + m}{\sqrt{1+m^2} - m}) + m \cdot \ln (\frac{\sqrt{1+m^2} + 1}{\sqrt{1+m^2} - 1})]$

$$m = B/L$$

B = width of foundation

L = length of foundation

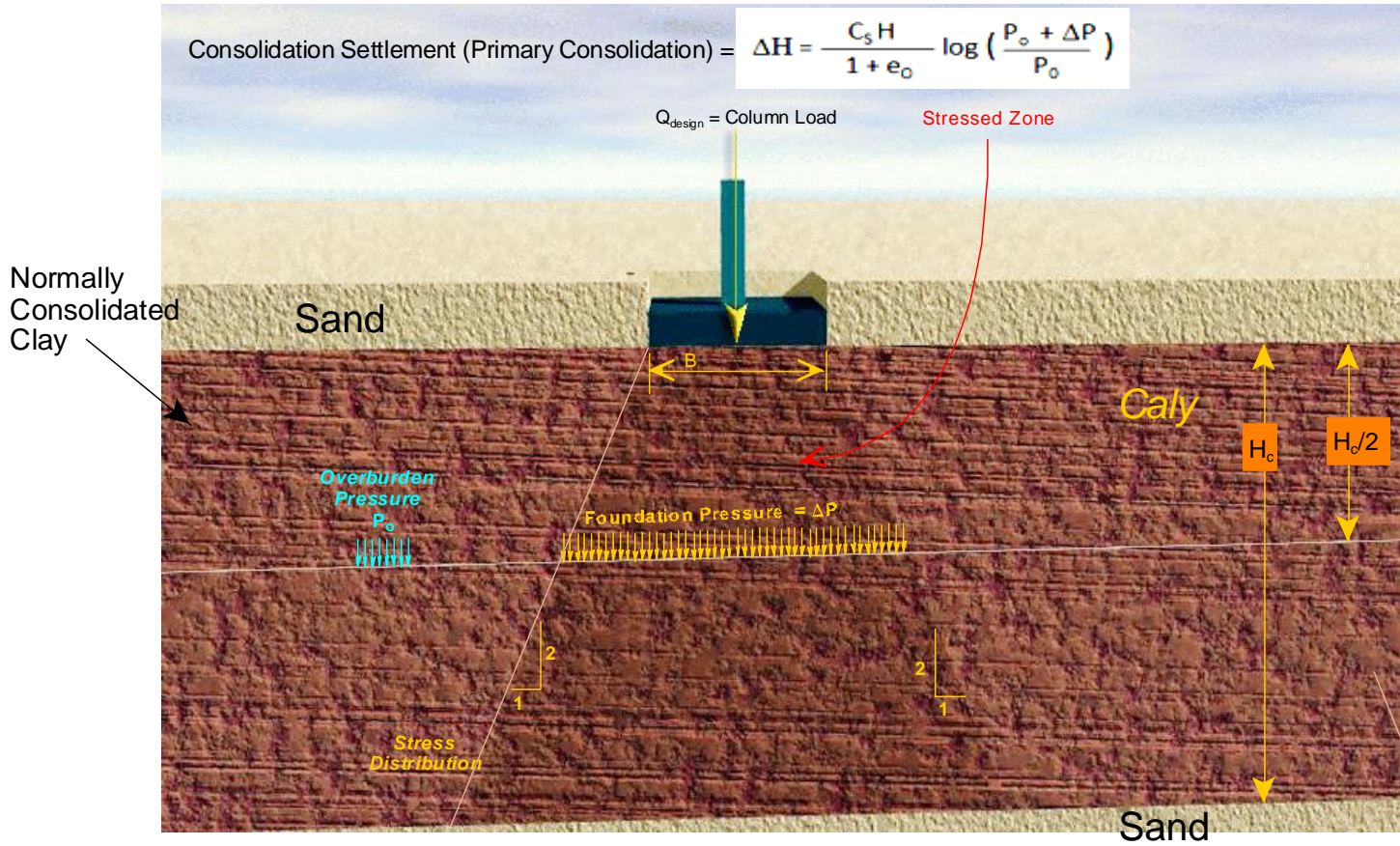
$$S_e = \frac{Bq_o (1 - \mu_s) \alpha}{E_s}$$



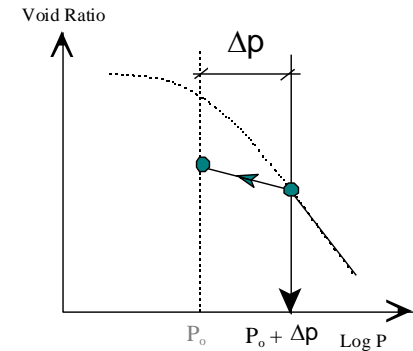
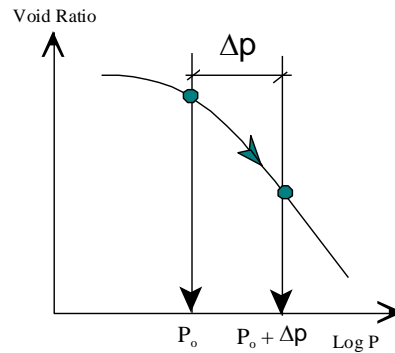
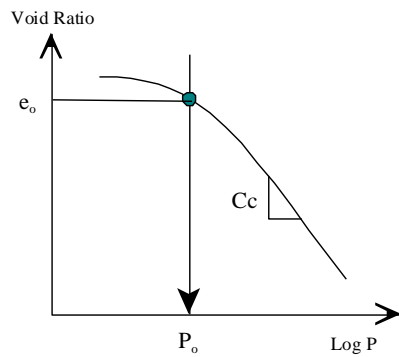
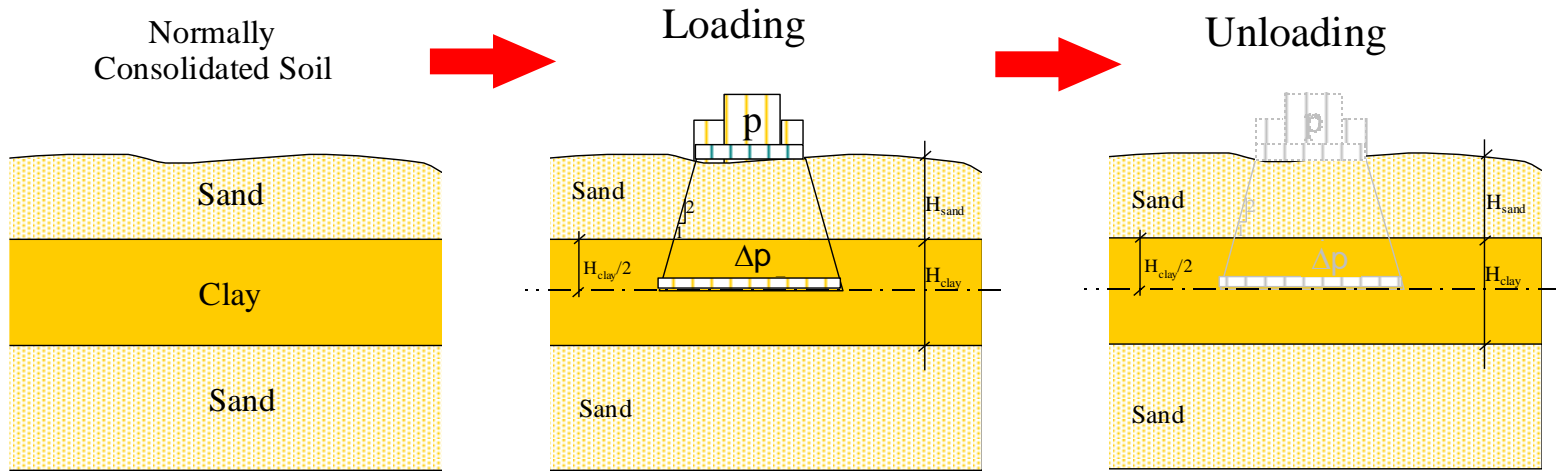
For circular foundation
 $\alpha = 1$
 $\alpha_{av} = 0.85$
 $\alpha_r = 0.88$

Values of α , α_{av} , and α_r

Consolidation Settlement

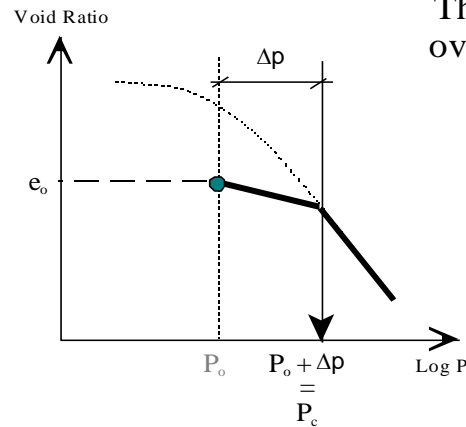
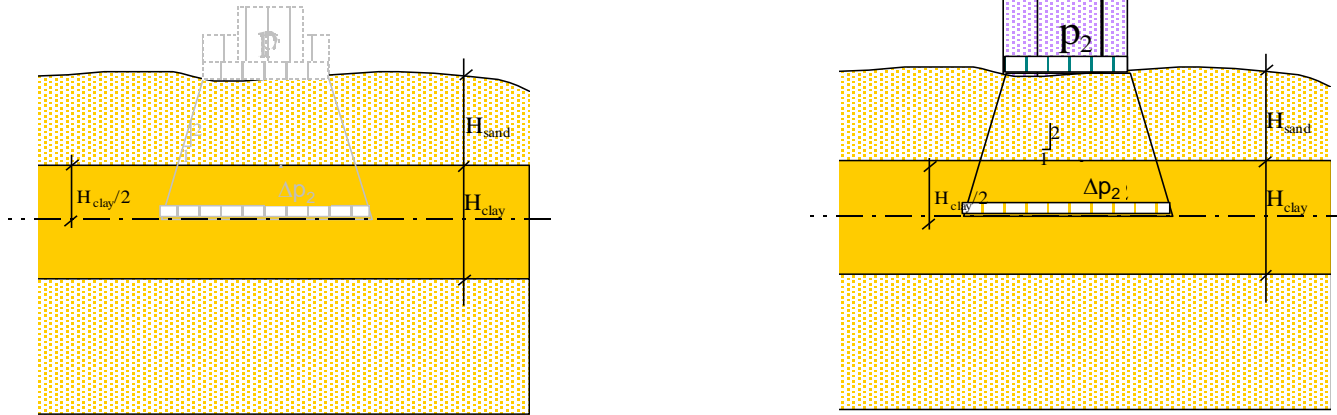


Consolidation Settlement

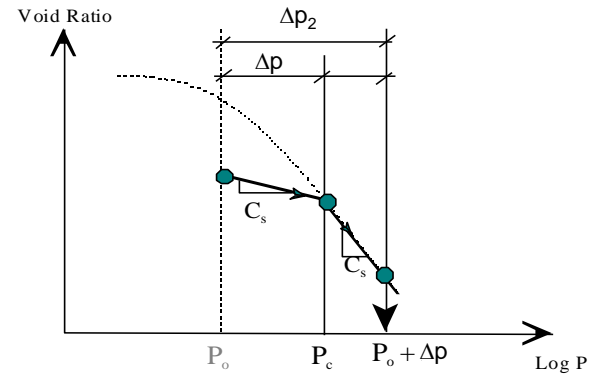


$$\Delta H = \frac{C_s H}{1 + e_0} \log \left(\frac{P_0 + \Delta P}{P_0} \right)$$

Re loading
with Heavy Load

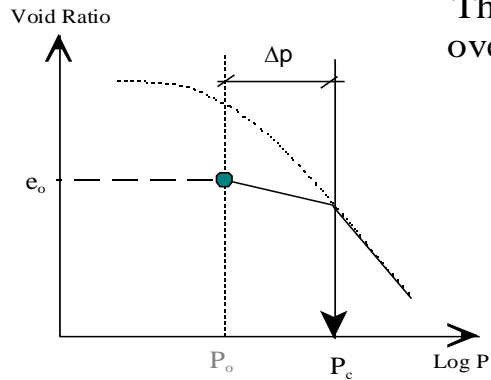
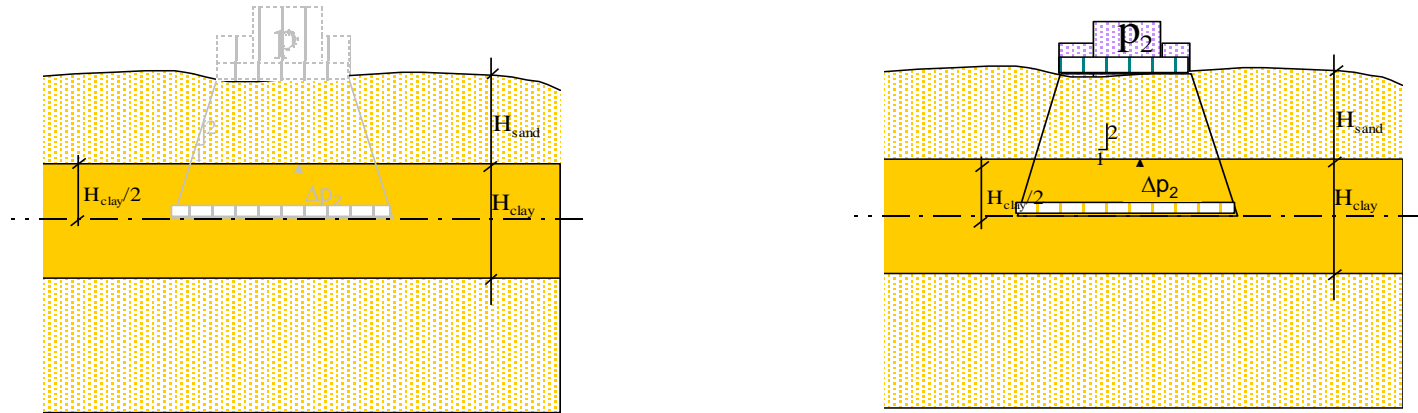


The soil become
overconsolidated
soil

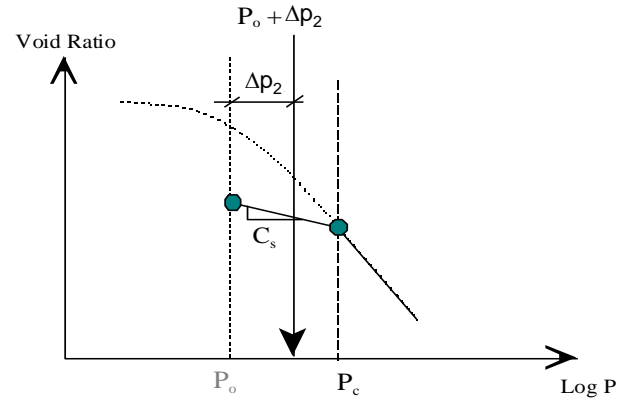


$$\Delta H = \frac{C_s H}{1 + e_0} \log \left(\frac{P_c}{P_0} \right) + \frac{C_c H}{1 + e_0} \log \left(\frac{P_0 + \Delta P}{P_c} \right)$$

Re loading
with light Load



The soil become
overconsolidated
soil



$$\Delta H = \frac{C_s H}{1 + e_0} \log \left(\frac{P_0 + \Delta P_2}{P_0} \right)$$

Rate of Consolidation

Settlement at any time = S_{time}

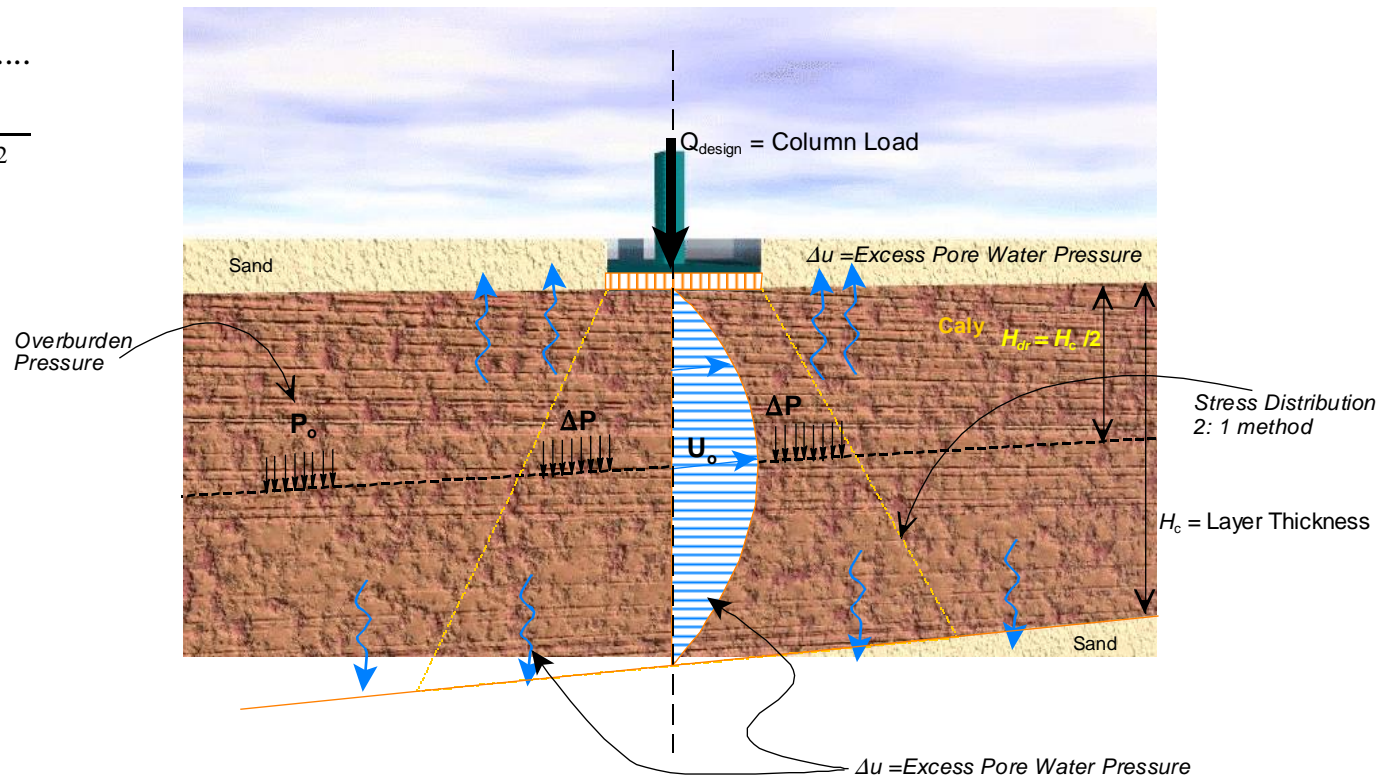
$$S_{\text{time}} = S_{\text{ultimate}} * U\%$$

$$S_{\text{ultimate}} = (C_c / (1 + e_o)) H_c \cdot \log [(P_o + \Delta P) / P_o]$$

$$U\% = f(T_v) \dots$$

$$T_v = f(c_v) \dots\dots$$

$$T_v = \frac{c_v \cdot t}{(H_{dr})^2}$$



Rate of Consolidation

Settlement at any time = S_{time}

$$S_{\text{time}} = S_{\text{ultimate}} * U\%$$

$$U\% = f(T_v) \dots \quad T_v = \text{Time Factor}$$

From Tables

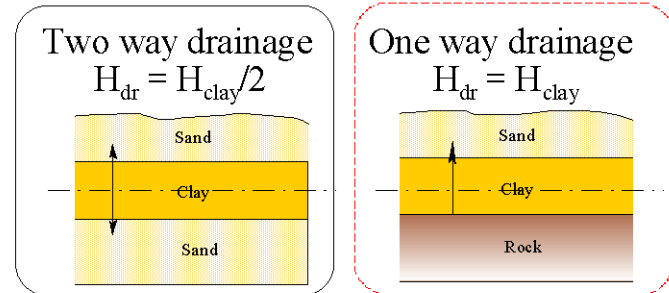
$$T_v = f(c_v) \dots \quad C_v = \text{Coefficient of Consolidation}$$

$$T_v = \frac{c_v \cdot t}{(H_{\text{dr}})^2}$$

t = time (month, day, or year)

$(H_{\text{dr}})^2$ = Drainage Path

$$H_{\text{dr}} = H \quad \text{or} \quad H/2$$



C_v is obtained from laboratory testing